| MATI | HEMATICS | Intermediate Part-I, Cl | non 11th cast | |
|-------|---|--|------------------------------------|---|
| Time: | 30 Minutes | OBJECT | TIVE a | |
| Note: | You have four choice | Code: 6 | . 01/ | Marks: 20 The choice which you think is |
| | correct, fill that circ | le in front of that question nu | mber. Use marker or pe | . The choice which you think is en to fill the circles. Cutting or |
| 1- 1- | The multiplicativ | circles will result in zero mar e inverse of complex numb | k in that question. | Cutting of |
| | (A) $(0,-1)$ | (B) (-1,0) | (C) (1,0) | (D) (1 1) |
| 2- | Converse of $p \rightarrow$ | | (0) (1,0) | (D) (1,1) |
| | $(A) \sim p \to q$ | • (B) $p \rightarrow \sim q$ | $\bigcirc q \rightarrow p$ | (D) $\sim q \rightarrow p$ |
| 3- | $(A^{-1})^t =$ | | | (2) q · p |
| | (A) A | $(B) -A^{t}$ | (C) A ⁻¹ A ^t | (At-1 |
| 4- | The trivial solution | n of the system $a_1x + b_1y =$ | | $(A^t)^{-1}$ |
| 5- | (A) (1,0) | (B) (0,1) | (0,0) | |
| | Sum of all four for | orth roots of unity is | (0,0) | (D) (1,1) |
| | (A) 1 | (B) -1 | © 0 | (D) <i>i</i> |
| 6- | Roots of the equati | on $ax^2 + bx + c = 0$ are real | and distinct if | (- <i>/</i> · |
| | (A) $b^2 - 4ac = 0$ | (B) $b^2 - 4ac > 0$ | (C) $b^2 - 4ac < 0$ | (D) $a^2 - 4ac > 0$ |
| 7- | A relation in which | the equality is true for any | | s called |
| | (A) identity | (B) equation | (C) fraction | (D) conditional |
| 8- | The sequence 3, 6, | | | |
| 0 | (A) A.P. | (B) G.P. | (C) H.P. | (D) infinite |
| 9- | Harmonic mean bet | | | |
| | (A) $\frac{3}{21}$ | B $\frac{21}{5}$ | (C) 5 | (D) 21 |
| 10- | Factorial form of $n(n-1)(n-2) =$ | | | |
| | (A) $\frac{n!}{(n-1)!}$ | (B) $\frac{n!}{(n-2)!}$ | (C) n! | m nl |
| | | , | (n-3)! | (D) $\frac{n!}{(n+3)!}$ |
| 11- | If A and B are indep | endent events and P(A) = | 0.8, $P(B) = 0.7$ then I | $P(A \cap B) =$ |
| | (A) 0.56 | (B) $\frac{8}{7}$ | (C) 7/8 | (D) 0.1 |
| 12- | The | | | |
| | (A) 1 | ts of a and b in every term | | $(a+b)^n$ is |
| | • | (B) 0 | (C) 2n | (D) n |
| 13- | The expansion of (1- | $+2x)^{-3}$ is valid only if | | |
| | (A) x <2 | $ \mathbf{B} \times \mathbf{x} < \frac{1}{2}$ | (C) $ x < \frac{1}{3}$ | (D) $ x < \frac{1}{\epsilon}$ |
| 4- | If length of arc and ra | adius of circle are measure | | 0 |
| | (A) degree | (B) radians | (C) cm ² | (D) cm |
| 15- | Cos 2α = | | | (D) CIII |
| | (A) $2\cos^2\alpha + 1$ | B 2Cos ² aZ1 | (C) $2\sin^2\alpha - 1$ | (D) $2\sin^2\alpha + 1$ |
| | | L (W) | | |
|) (| | (2) | 40/-11 | -1-25 |
| | | e number P for which f(x | | |
| 16- | | e number r for winch r(x | (C) range | period |
| | (A) domain | (B) co-domain | (-) | |
| 17- | In any triangle ABC | $c, c^2 = $ | (B) $a^2 + b^2 - 2a$ | bCosγ |
| | (A) $a^2 + c^2 - 2ac \cos \beta$ | | (D) $a^2 + b^2 - 2ab \cos \alpha$ | |
| | (C) $h^2 + c^2 - 2bc \cos \alpha$ | | | |
| 18- | Point of intersection of the angle bisectors of | | a triangle is called | (D) ortho-centre |
| | (A) circum-centre | | (C) ex-centre | (2) |
| 10 | $2Tan^{-1}A = .$ | 9990 | | |
| 19- | | _1. 2A | (C) Tan-1 2A | $\left(\frac{A}{A^2}\right)$ (D) $\operatorname{Tan}^{-1}\left(\frac{2A}{2-A^2}\right)$ |
| | (A) $Tan^{-1}\frac{A}{1-A^2}$ | (B) $Tan^{-1} \frac{2A}{1+A^2}$ | 1-1 | $(2-A^2)$ |
| | | | | |
| 20- | If $Sinx + Cosx = 0$ | | π 3π | (D) $\frac{\pi}{4}, \frac{3\pi}{4}$ |
| | $(\Delta) \frac{\pi}{\pi} - \frac{\pi}{\pi}$ | (B) $-\frac{\pi}{4}, -\frac{\pi}{2}$ | (C)/,- | (D) 4, 4 |

ATHEMATICS

Intermediate Part-I, Class 11th (1st A 323)

PAPER: I

GROUP - I Marks: 80

Note: Section-I is compulsory. Attempt any three (3) questions from Section-II. SECTION-I

Write short answers to any EIGHT questions:

 $(2 \times 8 = 16)$

- i- Check the closure property with respect to multiplication on the set {-1, 1}
- ii- Simplify the complex numbers (5, -4)(-3, -2)
- iii- Write down the descriptive and tabular form of $\{x \mid x \in P \land x < 12\}$
- iv- Verify commutative property of union and intersection for sets $A = \{1,2,3,4,5\}$, $B = \{4,6,8,10\}$
- v- Write down the inverse and contrapositive of the conditional $\sim p \rightarrow q$

vi- Find x and y if
$$\begin{bmatrix} x+3 & 1 \\ -3 & 3y-4 \end{bmatrix} = \begin{bmatrix} y & 1 \\ -3 & 2x \end{bmatrix}$$

- vii- If A and B are non-singular matrices. Then show that $(AB)^{-1} = B^{-1}A^{-1}$
- viii- Without expansion show that $\begin{vmatrix} \alpha & \beta + \gamma & 1 \\ \beta & \gamma + \alpha & 1 \\ \gamma & \alpha + \beta & 1 \end{vmatrix} = 0$
- ix- Solve the equation $x^2 7x + 10 = 0$ by factorization.
- x- Reduce $2x^4 3x^3 x^2 3x + 2 = 0$ into quadratic form.
- xi- Solve the equation $x^{1/2} x^{1/4} 6 = 0$
- xii- Define reciprocal equation.

Write short answers to any EIGHT questions:

 $(2 \times 8 = 16)$

- i- Resolve into partial fractions of $\frac{x^2+1}{(x-1)(x+1)}$ without finding values of constants.
- ii- Write down next two terms of sequence -1, 2, 12, 40,
- iii- Insert two G.Ms. between 1 and 8
- iv- Find nth term of $\frac{1}{2}$, $\frac{1}{5}$, $\frac{1}{8}$,
- v- Prove that $\sum_{k=1}^{n} k^2 = \frac{n(n+1)(2n+1)}{6}$
- vi- If 5, 8 are two A.Ms. between a and b. Find a and b.
- vii- Find the value of n^{-1} when ${}^{n}P_{4}$: ${}^{n-1}P_{3} = 9:1$
- viii- How many arrangements of letters of word PAKPATTAN, taken all together, can be made?
- ix- Two dice are thrown twice. What is probability that sum of dots shown in first throw is 7 and that of second throw is 11?
- x- Show that in-equality $4^n > 3^n + 4$ holds for n = 2, n = 3
- xi- Using binomial theorem, expand (a +2b)5
- xii- Expand up to 4 terms, taking the value of x such that expansion is valid: (8-2x)-1

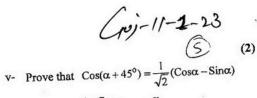
4. Write short answers to any NINE questions:

 $(2 \times 9 = 18)$

- i- What is the length of the arc intercepted on a circle of radius 14cm by the arms of central angle of 45°?
- ii- Verify that $\sin^2 \frac{\pi}{6} : \sin^2 \frac{\pi}{4} : \sin^2 \frac{\pi}{3} : \sin^2 \frac{\pi}{2} = 1 : 2 : 3 : 4$
- iii- Prove that $\frac{\sin \theta}{1 + \cos \theta} + \cot \theta = \csc \theta$
- iv- Without using table, find the value of tan(-135°)

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(Turn Over)



- vi- Prove that $\frac{1-\cos\alpha}{\sin\alpha} = \tan\frac{\alpha}{2}$
- Find the period of Cot 8x
- When the angle between the ground and the sun in 30° , flag pole casts a shadow of $40\,\mathrm{m}$ long. viii-Find the height of the top of the flag.
- Find the smallest angle of the triangle ABC when $a=37.34\,$, $b=3.24\,$, $c=35.06\,$ ix-
- Find the area of the triangle ABC when $a=200\,$, $\,b=120\,$, $\,\gamma=150^o$
- Show that $Sin(2Cos^{-1}x) = 2x\sqrt{1-x^2}$
- Find the solution set of Sinx.Cosx = $\frac{\sqrt{3}}{4}$
- Find the solution of Sinx = $\frac{1}{2}$ in $[0, 2\pi]$

SECTION-II

Note: Attempt any three (3) questions.

(a) Use matrices to solve the system of equations $2x_1 + x_2 + 3x_3 = 3$

$$x_1 + x_2 - 2x_3 = 0$$

$$-3x_1 - x_2 + 2x_3 = -4$$

- (b) Solve the equation $\left(x \frac{1}{x}\right)^2 + 3\left(x + \frac{1}{x}\right) = 0$
- (a) Resolve $\frac{x^2+1}{x^3+1}$ into partial fraction.
 - (b) A die is thrown. Find the probability that the dots on the top are prime numbers or odd numbers.
- 7- (a) For what value of n, $\frac{a^n + b^n}{a^{n-1} + b^{n-1}}$ is the positive geometric mean between a and b?
 - If $y = \frac{2}{5} + \frac{1 \cdot 3}{2!} \left(\frac{2}{5}\right)^2 + \frac{1 \cdot 3 \cdot 5}{3!} \left(\frac{2}{5}\right)^3 + \dots$ then prove that $y^2 + 2y 4 = 0$
- Prove that $\sqrt{\frac{1-\sin\theta}{1+\sin\theta}} = \sec\theta \tan\theta$, where θ is not an odd multiple of $\frac{\pi}{2}$ 5
 - (b) If $-\alpha + \beta + \gamma = 180^{\circ}$, show that $\cot \alpha \cot \beta + \cot \beta \cot \gamma + \cot \gamma \cot \alpha = 1$
- 5 Using law of tangents , solve the $\triangle ABC$ in which a = 36.21 , b = 42.09 and $\gamma = 44^{\circ}29^{\circ}$ 5
 - **(b)** Prove that $2 \tan^{-1} \left(\frac{1}{3} \right) + \tan^{-1} \left(\frac{1}{7} \right) = \frac{\pi}{4}$

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