2024 (1st-A) Paper Code INTERMEDIATE PART-I (11th Class) Number: 2198 **GROUP-II** MATHEMATICS PAPER-I MAXIMUM MARKS: 20 **OBJECTIVE** TIME ALLOWED: 30 Minutes You have four choices for each objective type question as A, B, C and D. The choice which you think Q.No.1 is correct, fill that bubble in front of that question number, on bubble sheet. Use marker or pen to fill the bubbles. Cutting or filling two or more bubbles will result in zero mark in that question. S.# \mathbf{B} **OUESTIONS** n^2 2nSum of binomial coefficients is: 900 45° 30° 60° 2 Trigonometric ratio of -330° is same as: 3 $\frac{3\pi}{2} + \theta$ lies in quadrant: 3rd 4th 2nd 1st (-1, 1][-1, 1][-1, 1)(-1, 1)Range of $y = \sin x$ is: 4 90° In right triangle, no angle is greater than: 80° 60° 5 450 $0 \le x \le 1$ $-1 \ge x \ge 1$ -1 < x < 1 $-1 \le x \le 1$ 6 Domain of $y = \sin^{-1}(x)$ is: π π $\frac{\pi}{6}$ $\frac{\pi}{}$ If $cox x = \frac{1}{\sqrt{2}}$, then reference angle is: Whole number Natural Irrational Rational Every non-recurring, non terminating 8 number number number decimals represents: (0,0)(-1,0)The multiplicative inverse of complex (0, -1)(0,1)9 number (0,1) is: Only one At least one At least two Two How many inverse elements correspond 10 to each element of group? $B \supseteq A$ $A \subseteq B$ $A \cap B$ Set containing elements A or B is 11 denoted by: $\sim q \rightarrow p$ $p \rightarrow q$ $q \rightarrow p$ $p \rightarrow q$ is called converse of: Rectangular Symmetric Non-singular Singular The inverse of square matrix exists if A 13 $K^2|A|$ 2K|A|If A is a square matrix of order 2×2 K|A| $\frac{1}{K}|A|$ then | KA | equals: 1 1 If $4^x = \frac{1}{2}$ then x is equal to: 2 2 -2, 32, 3 -2, -3The roots of the equation $x^2 - 5x + 6 = 0$ Equivalent Proper Identity Improper 17 ab $-\sqrt{ab}$ G.M between $\frac{1}{a}$ and $\frac{1}{b}$ is: $\sum_{k=1}^{\infty} 1$ is equal to: n^2 n1 n^3 20 $\frac{3!}{0!}$ is equal to: 12 6 ∞ 3 15(Obj)(☆☆☆☆)-2024(1st-A)-17000 (MULTAN)

| | FHEMATICS PAPER-I GROUP-II E ALLOWED: 2.30 Hours | SUBJE | CTIVE | MAXIMUM MARKS: 80 |
|-------------|--|--------------|---|---|
| | E: Write same question number and its parts | | | |
| | | CTION | N-I | TT . |
| | Attempt any eight parts. | (11) | M | $1 \times 2 = 16$ |
| (i) | Simplify $(2, 6) \div (3, 7)$ | (ii) | | ultiplicative inverse of $a + ib$ |
| (iii) | Show that for all $z \in C$, $z\overline{z} = z ^2$ | (iv) | Simplify | $\frac{3}{\sqrt{6}-\sqrt{-12}}$ |
| (v) | For $A=\{1, 2, 3, 4\}$, state the domain and range o | f relation | | |
| (vi) | Define Semi group. | (vii) | | |
| () | J. Same Same | () | II A= | $\begin{bmatrix} -2 & 3 \\ -4 & 5 \end{bmatrix}$, find A^{-1} |
| (viii) | If $A = \begin{bmatrix} 2 & 3 \\ 1 & 5 \end{bmatrix}$, then show that $4A - 3A = A$ | (ix) | If $A = \begin{bmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}$ | $\begin{bmatrix} 1 & 2 & -3 \\ 0 & -2 & 0 \\ -2 & -2 & 1 \end{bmatrix}, \text{ then find } A_{12}, A_{22}$ |
| (x) | Discuss the nature of roots of $2x^2 + 5x + 1 = 0$ | (xi) | Evaluate | $te (1+\omega-\omega^2)^8$ |
| (xii) | | | | (1, 6 6) |
| | Solve by completing the square $x^2 + 6x - 567 =$ ttempt any eight parts. | 0 | | 8 × 2 = 16 |
| (i) | Define Identity. Give one example. | | | 8 × 2 - 10 |
| (ii) | Write $2x-3$ in partial fraction form without | ut findir | ng consta | ants. |
| | x(2x+3)(x-1) | | | |
| (iii) | If $a_{n-3} = 2n-5$, then find <i>nth</i> term of sequence | e. (| iv) Fin | and b if 5, 8 are two A.Ms. between a and |
| (v) | | | the series | is converged |
| | If $y = 1 + \frac{x}{2} + \frac{x^2}{4} + \frac{x^2}{2}$, then find the interval in | which | ne series | s is convergent. |
| (vi) | If $\frac{1}{k}$, $\frac{1}{2k+1}$, $\frac{1}{4k-1}$ are in H.P, then find k . | | | |
| | | | | |
| (vii) | In how many ways can 4 keys be arranged on a circular key ring? | | | |
| (iv) | Find the number of diagonals of 12 sided figure. | | | |
| (ix) | If $P(A) = \frac{1}{2}$; $P(B) = \frac{1}{2}$; $P(A \cap B) = \frac{1}{3}$, then find $P(A) = \frac{1}{3}$ | $(A \cup B)$ | | |
| (x) | Prove that $4^{n} > 3^{n} + 2^{n-1}$ for $n = 2$ and $n = 3$ | | Expa | and $\left(3a - \frac{x}{3a}\right)^4$ by binomial theorem. |
| viii | | | | |
| (xii) | If x is so small that its square and higher powers | be negl | ected, the | en show that $\sqrt{\frac{1-x}{1-x}} = 1-x$ |
| Af | ttempt any nine parts. | | | $\begin{array}{c} 1 + x \\ 0 \times 2 = 18 \end{array}$ |
| (i) | | | (ii) | Show that 1 1 |
| | Prove that $\sin^2 \frac{\pi}{6} + \sin^2 \frac{\pi}{3} + \tan^2 \frac{\pi}{4} = 2$ | | () | Show that $\frac{1}{1+\sin\theta} + \frac{1}{1-\sin\theta} = 2\sec^2\theta$ Find the value of $\cos 105^{\circ}$ |
| iii) | Prove that $\sin(180^{\circ} + \alpha)$. $\sin(90^{\circ} - \alpha) = -\sin \alpha$. | cosa | (iv) | Find the value of cos 105° |
| v) | Show that $\frac{\sin 3\theta}{\cos 3\theta} - \frac{\cos 3\theta}{\cos 3\theta} = 2$ | | (vi) | Write domain and range of $y = \sin x$ |
| | $\frac{\sin\theta}{\sin\theta} = \frac{2}{\cos\theta}$ | | | |
| vii) | Find the period of $\tan 4x$ | | (viii) | Draw the graph of $y = \sin x$ from 0 to π |
| ix) | In $\triangle ABC$ if $\beta = 60^{\circ}$; $\gamma = 15^{\circ}$; $b = \sqrt{6}$, then fi | nd a a | nd v | |
| (x) | | | | b = 25.4 (xi) Define inscribed circl |
| | Find area of $\triangle ABC$ in which $\alpha = 45^{\circ}17'$; | | | 0 = 25.4 |
| xii) | Find the value of $\sec \left[\sin^{-1}\left(-\frac{1}{2}\right)\right]$ | (xii | ii) Det | fine trigonometric equation. Give one example |
| | SE | CTION- | -II | |
| OTE | E: Attempt any three questions. | | | $3 \times 10 = 30$ |
| (a) | Find the inverse of $A = \begin{bmatrix} 2 & 1 & 0 \\ 1 & 1 & 0 \\ 2 & -3 & 5 \end{bmatrix}$ and show that A | | | |
| (b) | Prove that $\frac{x^2}{a^2} + \frac{(mx+c)^2}{b^2} = 1$ will have equal roots, if $c^2 = a^2m^2 + b^2$; $a \ne 0$, $b \ne 0$ | | | |
| (a) | Resolve $\frac{x^2+1}{x^3+1}$ into partial fractions. (b) The sum of three numbers in an A.P is 24 and their product is 440. Find the numbers. | | | |
| (a) | A number is chosen out of first fifty natural numbers. What is probability that chosen number is multiple of 3 or of 5. | | | |
| (b) | Γ $\frac{1}{2}$ Ω Ω | | | |
| | Show that $\left[\frac{n}{2(n+N)}\right]^{\frac{1}{2}} = \frac{8n}{9n-N} - \frac{n+N}{4n}$ where | e n and | d N are | nearly equal. |
| (a) | Prove without using calculator that $\sin 19^{\circ} \cos 11^{\circ} + \sin 71^{\circ} \sin 11^{\circ} = \frac{1}{2}$ | | | |
| 1 | Find the area of the triangle ABC, when $\alpha = 35^{\circ}17'$, $\gamma = 45^{\circ}13'$ and $b = 42.1$ | | | |
| (b) | rove the identity and state the domain of $\theta = \sin^6 \theta + \cos^6 \theta = 1 - 3\sin^2 \theta \cos^2 \theta$ | | | |
| (b) | | 9+0006 | $\theta = 1 - 3ei$ | $\sin^2\theta\cos^2\theta$ |
| (b) (a) (b) | | $9 + \cos^6$ | $\theta = 1 - 3 \operatorname{si}$ | $\sin^2 \theta \cos^2 \theta$ |