BWP-12-19

| Paper | II | (Objective Type) | Inter -A- 2019    | Session (2015 -17) to (2017 - 19) |
|-------|----|------------------|-------------------|-----------------------------------|
| Time  | :  | 30 Minutes       | Inter ( Part II ) |                                   |
| Marks | •  | 20               |                   |                                   |

Note: Four possible choices A, B, C,D to each question are given. Which choice is correct fill that circle in front of that Question No. Use Marker or Pen to fill the circles. Cutting or filling two or more circles will result in Zero Mark in that Question.

| 1               | Projection of $\vec{u} = a  \underline{i} + b  \underline{j} + c  \underline{k}$ along $\underline{i}$ is : (A) b (B) a (C) c (D) $a + b$   |
|-----------------|---|
| ]               | $\underline{\mathbf{K}} \times \underline{\mathbf{i}} \text{ equals}$ : (A) $\underline{\mathbf{j}}$ (B) $\underline{\mathbf{k}}$ (C) 1 (D) 0   |
|                 | Slope of tangent to parabola $y^2 = 4ax$ at $(a, 2a)$ is : (A) 3 (B) 2 (C) -1 (D) 1   |
|                 | Focus of the Parabola $x^2 = 4ay$ is: (A) (a,0) (B) (-a,0) (C) (0,a) (D) (0,-a)   |
|                 | The length of diameter of the circle $x^2 + y^2 - 4x - 12 = 0$ is : (A) 6 (B) 7 (C) 8 (D) 9   |
| -               | The Graph of the Inequality ax + by < c is :  (A) Circle (B) Parabola (C) Straight Line (D) Half Plane  |
|                 | The perpendicular distance of the line $3x + 4y + 5 = 0$ from the origin is :<br>(A) 0 (B) 1 (C) 2 (D) 5  |
|                 | Equation of the line having slope -5 and y - intercept -7 is :<br>(A) $5x+y+7=0$ (B) $5x-y+7=0$ (C) $5x+y-7=0$ (D) $7x+y+5=0$   |
|                 | When a line intersects the y-axis at (0,4) then y-intercept is :  (A) 4 (B) 2 (C) 0 (D) 6   |
|                 | Slope of the Line Perpendicular to line $2x - 3y + 1 = 0$ is equal to :<br>(A) $\frac{3}{2}$ (B) $-\frac{3}{2}$ (C) $\frac{2}{3}$ (D) $-\frac{2}{3}$  |
|                 | Solution of Differential Equation $\frac{dy}{dx} = \operatorname{Sec}^2 x$ is  (A) $y = \operatorname{Cot} x + c$ (B) $y = \tan x + c$ (C) $y = \operatorname{Cos} x + c$ (D) $y = -\tan x + c$ |
| +               | If $\int_2^K 2  dx = 12$ , then $K = ?$ : (A) 12 (B) 16 (C) 8 (D) 4   |
|                 | $\int \frac{dx}{\sqrt{5-x^2}} = : 		 (A) 		 Sin^{-1} 	 \frac{5}{x} 	 (B) 		 Sin^{-1} 	 \frac{x}{\sqrt{5}} 	 (C) 		 Sin^{-1} 	 \frac{x}{5} 	 (D) 		 Sin^{-1} 	 \frac{\sqrt{5}}{x}$               |
|                 | $\int Sec^{2}x \tan x  dx = $ (A) $Sec x \tan^{2}x + c$ (B) $\frac{Sec^{3}x}{3} + c$ (C) $\frac{Sec^{3}x \tan x}{3} + c$ (D) $\frac{tan^{2}x}{2} + c$   |
| -               | If $y = \ln e^x$ , then $\frac{dy}{dx} = :$ (A) $e^x$ (B) $\frac{1}{e^x}$ (C) 1 (D) $e^{x-1}$   |
|                 | The Derivative of $x^3$ w.r.t. $x^2$ is equal to : (A) $\frac{3x^2}{2}$ (B) $\frac{3x}{2}$ (C) $\frac{2}{3x}$ (D) $\frac{2}{3x}$  |
| and an analysis | $\frac{d}{dx}(2x^2+3)^5 =$  |
| -               | $(A)(2x^2+3)^4$ 20x (B) 20(2x <sup>2</sup> +3) <sup>5</sup> (C) 15(2x <sup>2</sup> +3) <sup>5</sup> (D) (2x <sup>2</sup> +3) <sup>5</sup> 100   |
|                 | Which one is Leibniz Notation for Derivative of $f(x)$ :  (A) $\frac{df}{dx}$ (B) $f(x)$ (C) $\frac{d}{dx}$ (D) D $f(x)$  |
|                 | Lim $x^3 - x$ $x \to -1$ $x + 1$ = : (A) 0 (B) $\infty$ (C) 2 (D)   |
|                 | If P is perimeter of square and A is area then P = :<br>(A) $2\sqrt{A}$ (B) 4 A (C) $4\sqrt{A}$ (D) A   |
|                 | B   |

## BWP-12-19

Mathematics (Subjective) Inter - A -2019 Time 2:30 Hours Marks: 80

Note: It is compulsory to attempt any (8 - 8) Parts each from Q.No. 2 and Q.No.3 while attempt any (9) Parts from Q.No.4. Attempt any (3) Questions from Part - II . Write same Question No. and its Part No. as given in the Question Paper.

|        |         | Part - I   | 1        | $25 \times 2 = 50$   |  |  |  |  |
|--------|---------|--|----------|--|--|--|--|--|
| Q.No.2 | (i      | Express the area 'A' of a circle as a  | function | on of its circumference (C)  |  |  |  |  |
|        | (11     | Define Odd Function and give an example.   | (iii)    |  |  |  |  |  |
| 6)     | (iv     | Find the derivative of f(x) = c by definition.   | (v)      |  |  |  |  |  |
|        | (vi)    | Find $\frac{dy}{dx}$ if $y = \sqrt{x + \sqrt{x}}$  | (vii)    | Differentiate $\cos^{-1} \frac{x}{a}$ w.r.t. 'x'.                  |  |  |  |  |
|        | (viii   | Smerentiate x-sec 4x w.r.t. 'x'.   | (ix)     | Find $\frac{dy}{dx}$ if $y = a^{\sqrt{x}}$                         |  |  |  |  |
|        | (x)     | Find $y_2$ if $y = 2x^5 - 3x^4 + 4x^3 + x - 2$   | (xi)     | Find $\frac{dy}{dx}$ if $y = x e^{Stnx}$                           |  |  |  |  |
|        | (xii)   | Find $\frac{dy}{dx}$ if $y = \frac{x}{lnx}$  |          | u.   |  |  |  |  |
| .No.3  | (i)     | Find Sy and dy if $y = \sqrt{x}$ when x  | cha      | nges from A to A to  |  |  |  |  |
|        | (ii)    | Find the area above the x-axis and un  | der ti   | 200000000000000000000000000000000000000                            |  |  |  |  |
|        | (iii)   | Graph the solution set of linear i   | near     | the curve $y = 5 - x^2$ from $x = -1$ to $x = -1$                  |  |  |  |  |
|        | (iv)    | Using differentials find $\frac{dy}{dx}$ and $\frac{dx}{dy}$   | ie .     | anty 2x + 1 ≥ 0 m xy - plane.                                      |  |  |  |  |
|        | (v)     | Define the Definite Integral.  |          | Solve the differential equation                                    |  |  |  |  |
|        | (vii)   | Evaluate $\int \frac{\cos x}{\sin x \ln \sin x} dx$  | viii)    | $ydx + xdy = 0$ Evaluate $\int x \ln x  dx$                        |  |  |  |  |
|        | (ix)    | D. C.  |          | Evaluate $\int Sec^4x  dx$   |  |  |  |  |
|        | (xi)    | c0 1   |          | Solve $\frac{dy}{dx} = \frac{y^2 + 1}{e^{-x}}$                     |  |  |  |  |
| No.4   | (1)     | Show that the points $A(0,2)$ , $B(\sqrt{3},-1)$   |          |  |  |  |  |  |
|        | ii)     | triangle.  |          |  |  |  |  |  |
|        | iii)    | Find equation of the line through (-4,7)   | and      | parallel to $2x - 7y + 4 = 0$                                      |  |  |  |  |
| -      |         | to lin   | e wit    | h slope —  |  |  |  |  |
|        | v)      | Find length of tangent from the point P(-  | 5,10     | ) to circle 5x <sup>2</sup> + 5y <sup>2</sup> + 14x + 12y - 10 - 0 |  |  |  |  |
| (1     | 1)      | Find Vertex of Parabola $(x-1)^2 = 8(y+2)$   |          |  |  |  |  |  |
| (v     | i) F    | Find Equation of Hyperbola with Foci $(\pm 4,0)$ , Vertices $(\pm 2,0)$ .  |          |  |  |  |  |  |
| (vi    | ii)     | $f(\overrightarrow{AB} = \overrightarrow{CD})$ , find A if B(1,2),C(-2,5),D(4,11) are given points.  |          |  |  |  |  |  |
| (vii   | ii)   I | If $\underline{\mathbf{u}} = \alpha \underline{\mathbf{i}} + 2\alpha \underline{\mathbf{j}} - \mathbf{k}$ , $\underline{\mathbf{v}} = \underline{\mathbf{i}} + \alpha \underline{\mathbf{i}} + 2\mathbf{k}$  |          |  |  |  |  |  |
| (ix    | ) F     | If $\underline{u} = \alpha \underline{i} + 2\alpha \underline{j} - \underline{k}$ , $\underline{v} = \underline{i} + \alpha \underline{j} + 3\underline{k}$ are perpendicular vectors, find value of $\alpha$ .  |          |  |  |  |  |  |
| (x)    | F       | Find vector perpendicular to each of vectors $\underline{a} = 2\underline{i} + \underline{j} + \underline{k}$ , $\underline{b} = 4\underline{i} + 2\underline{j} - \underline{k}$<br>Find volume of parallelepiped determined by:  |          |  |  |  |  |  |
|        |         | $\underline{\mathbf{u}} = \underline{\mathbf{i}} + 2\mathbf{j} - \underline{\mathbf{k}} , \underline{\mathbf{v}}$  | = i      | -2j+3k, $w=i$ $7i$   |  |  |  |  |
| (xi)   | D       | $\underline{\mathbf{u}} = \underline{\mathbf{i}} + 2\underline{\mathbf{j}} - \underline{\mathbf{k}} , \ \underline{\mathbf{v}} = \underline{\mathbf{i}} - 2\underline{\mathbf{j}} + 3\underline{\mathbf{k}} , \ \underline{\mathbf{w}} = \underline{\mathbf{i}} - 7\underline{\mathbf{j}} - 4\underline{\mathbf{k}}$ Define Trapezium. |          |  |  |  |  |  |

(xii)

(xiii)

**Define Directional Angles.** 

Define Ellipse.

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.No.1319

( Part - || )

| 5.5  | (a) | Discuss the continuity of $f(x)$ at $x = 2$  |     |
|------|-----|--|-----|
|      |     | $f(x) = \begin{cases} x^2 - 1 & x < 2 \\ 3 & x \ge 2 \end{cases}$  | (5) |
|      | (b) | Discuss the function $f(x) = \sin x + \frac{1}{2\sqrt{2}} \cos 2x$ for extreme values in the interval $(0, 2\pi)$  | (5) |
| 0.6  | (a) | Evaluate the Integral $\int \frac{2x^2}{(x-1)^2(x+1)} dx$  | (5) |
|      | (b) | Find the point three – fifth of the way along the line segment from A(-5,8) to B(5,3)  | (5) |
| 0.7  | (a) | Solve the differential equation $\frac{dy}{dx} + \frac{2xy}{2y+1} = x$   | (5) |
|      | (b) | Minimize $z = 3x + y$<br>Subject to the constraints<br>$3x + 5y \ge 15$<br>$x + 6y \ge 9$<br>$x \ge 0$ , $y \ge 0$   | (5) |
| lo.8 | (a) | Find a joint equation of the lines through the origin and perpendicular to the lines $x^2 - 2xy \tan \alpha - y^2 = 0$   | (5) |
|      | (b) | Find equation of the circle of radius 2 and tangent to the line $x - y - 4 = 0$ at $A(1, -3)$  | (5) |
| lo.9 | (a) | Find the Centre, Foci, Eccentricity, Vertices and equations of directrices of : $\frac{x^2}{4} = \frac{y^2}{9} = 1$  | (5) |
|      | (6) | Find a Unit Vector Perpendicular to the plane containing vectors $\underline{\mathbf{a}} = 2\underline{\mathbf{i}} - 6\underline{\mathbf{j}} - 3\underline{\mathbf{k}}  \text{and}  \underline{\mathbf{b}} = 4\underline{\mathbf{i}} + 3\underline{\mathbf{j}} - \underline{\mathbf{k}}$ |     |
|      | (b) | Also find Sine of the angle between them.  | (5  |

